# MODULE – V

Digital Data Communication Techniques - Asynchronous transmission, Synchronous transmission-Detecting and Correcting Errors-Types of Errors-Error Detection: Parity check, Cyclic Redundancy Check (CRC) - Error Control Error Correction: Forward Error Correction and Hamming Distance.

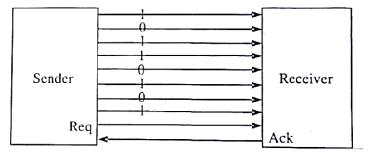
# 1. Digital Data Communication Types

## 1.1 Parallel and serial mode

Digital data transmission can occur in two basic modes:

## 1) Parallel Communication:

 This transmission involves grouping several bits, say n, together and sending all the n bits at a time.



- Figure hows how parallel transmission occurs for n = 8. This can be accomplishes with the help of eight wires bundled together in the form of a cable with a connector at each end. Additional wires, such as request (req) and acknowledgement (ack) are required for asynchronous transmission.
- Primary advantage of parallel transmission is higher speed, which is achieved at the expense of higher cost of cabling.
- Parallel transmission is feasible for short distances.

## 2) Serial Communication:

- This transmission involves sending one data bit at a time.

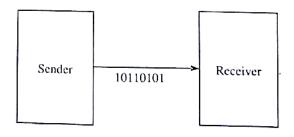


 Figure shows how serial transmission occurs; it uses a pair of wire for communication of data in bit-serial form.

- Since communication within devices is parallel, it needs parallel-to-serial and serial-toparallel conversion at both ends.
- However, it is slower than parallel mode of communication, serial mode of communication is widely used because of the following advantages:
  - **Reduced Cost of Cabling:** Lesser number of wires is required as compared to parallel connection.
  - **Reduced Cross Talk:** Lesser number of wires result in reduced cross talk.
  - Inherent Device Characteristics: Many devices are inherently serial in nature.
  - Portable device like PDAs, etc., use serial communication to reduce the size of the connector.

## **Difference between Serial and Parallel Communication**

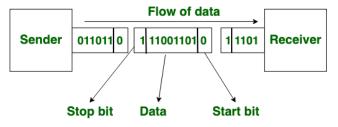
Serial Communication	Parallel Communication				
The data is transmitted by sending one	The stream of bits is divided into groups and one group				
bit per each clock pulse.	is sent per each clock pulse.				
It is a slower mode of transmission, as	It is a faster mode of transmission, as several bits can be				
only one bit can be transmitted at a time.	transmitted at a time.				
It requires only one communication	To send n bits at a time, it requires n communication				
channel between communicating	channel between communicating devices. As a result,				
devices; thus, it is a cheaper mode of	cost is increased by a factor of n as compared to serial				
transmission	transmission.				
As communication within devices is	No such converters are required.				
parallel, both sender and receiver					
require convener at the interface					
between the device and the					
communication channel.					

## 1.2 Asynchronous and synchronous transmission

Synchronous transmissions are synchronized by an external clock, while asynchronous transmissions are synchronized by special signals along the transmission medium.

## **Asynchronous Transmission**

- In Asynchronous Transmission, data is sent in form of byte or character.
- This transmission is the half duplex type transmission.
- In this transmission start bits and stop bits are added with data.
- It does not require synchronization.



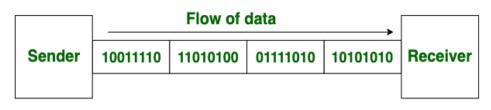
#### **Asynchronous Transmission**

- For this reason it is most often used by inexpensive terminals that transmit single characters.
- Examples of Asynchronous Transmission

Emails, Forums, Letters, Radios, Televisions etc.

#### Synchronous transmission

- In Synchronous Transmission, data is sent in form of blocks or frames.
- This transmission is the full duplex type.
- Between sender and receiver the synchronization is compulsory.
- In Synchronous transmission, there is no gap present between data.
- It is more efficient and more reliable than asynchronous transmission to transfer the large amount of data.
- It offers real-time communication between linked devices.



## Synchronous Transmission

- Special 'syn' characters goes before the data being sent.
- The syn characters are included between chunks of data for timing functions.



- After the syn characters are received by the receiver, they are decoded and used to synchronize the connection.
- After the connection is correctly synchronized, data transmission may begin.
- Examples of Synchronous Transmission
   Chatrooms, Video conferencing, Telephonic conversations, Face-to-face interactions etc.

### Difference between Synchronous Transmission and Asynchronous Transmission

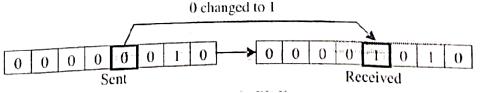
Synchronous Transmission	Asynchronous Transmission				
In Synchronous transmission, Data is	In asynchronous transmission, Data is sent in form of				
sent in form of blocks or frames.	byte or character.				
Synchronous transmission is fast.	Asynchronous transmission is slow.				
Synchronous transmission is costly.	Asynchronous transmission economical.				
In Synchronous transmission, time	In asynchronous transmission, time interval of				
interval of transmission is constant.	transmission is not constant, it is random.				
In Synchronous transmission, There is	In asynchronous transmission, There is present gap				
no gap present between data.	between data.				

# 2. Error Control

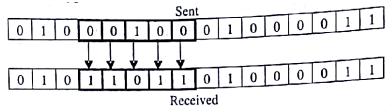
If there is a change in one data stream (a bit) which is transferred and received, then error occurs. For example, if 1 is transferred and 0 is received or reverse of it.

# 2.1 Types of Errors

- There are two types of errors are occurred in digital transmission systems:
  - 1) Single-bit Errors: If there is a change in a single bit then the error is known as single bit error i.e., 1 is changed to 0 or vice versa



2) Burst/Multiple-bit Errors Whenever two or more bits are changed in a given stream: then this error is known as burst errors.



# 2.2 Error Control

- Data can be corrupted during transmission. For reliable communication, errors must be detected and corrected.
- Error control provides error detection and correction.
- There are two basic strategies for dealing with errors.
  - 1) To include only enough redundancy to allow the receiver to confirm that an error occurred, but not aware of which error and therefore request it for re-transmission.
  - 2) Second method is to include enough unwanted data along with each block of data sent to enable to receiver to extract what the transmitted character must have been.

# 2.2.1 Error Detection

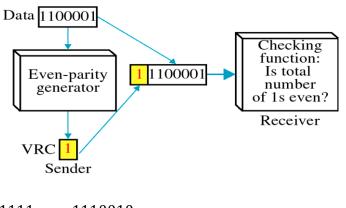
- Error detection means to decide whether the received data is correct or not without having a copy of the original message.
- Error detection uses the concept of redundancy, which means adding extra bits for detecting error at the destination.
- Error detection often uses error detecting codes. Error detecting code is to include only enough redundancy to allow the receiver to deduce that an error occurred, but not which error, and have it request a retransmission.
- There are following four error detection methods:

1) VRC (Vertical Redundancy Check)

- 2) LRC (Longitudinal Redundancy Check)
- 3) CRC (Cyclic Redundancy Check)
- 4) Checksum Error Detection

# Parity Check/Vertical Redundancy Checking (VRC)

- It is also known as parity check
- It is least expensive mechanism for error detection
- In this technique, the redundant bit called parity bit is appended to every data unit so that the total number of 1s in the unit becomes even (including parity bit)



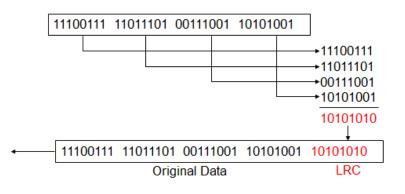
Example :

1110110	1101111	1110010
- After adding the p	arity bit	
11101101	11011110	11100100

- When parity checking is used, an error that changes one bit in a character can be detected because the parity bit will be incorrect.
- VRC can detect all single bit errors
- It can detect burst errors if the total number of errors in each data unit is odd.
- VRC cannot detect errors where the total number of bits changed is even. If two 0 bits are changed to Is, the VRC will not detect the error because the number of 1 bits will still be an even number. So an odd number of bit errors can be detected, but an even number cannot.
- Therefore, more sophisticated checking techniques are employed in most data transmission systems.

## Longitudinal Redundancy Check (LRC)

- In this method, a block of bits is organized in table(rows and columns) calculate the parity bit for each column and the set of this parity bit is also sending with original data.
- From the block of parity we can check the redundancy.



Suppose the following block is sent :

However, it is bit by burst of length eight and some bits are corrupted:

1010 <b>0</b> 0 <b>1</b> 1	<b>1</b> 0 <b>00</b> 1001	11011101	11100111	<u>10101010</u>
				(LRC)

When the receiver checks the LRC, some of the bits are not follow even parity rule and whole block is discarded.

## Advantage:

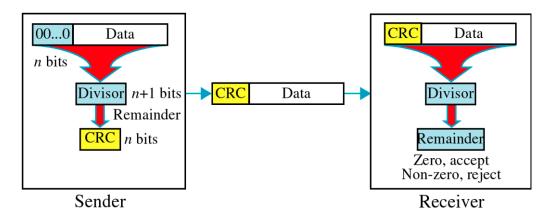
- LRC of n bits can easily detect burst error of n bits.

## Disadvantage:

 If two bits in one data units are damaged and two bits in exactly same position in another data unit are also damaged, the LRC checker will not detect the error.

## Cyclic Redundancy Check (CRC)

- The sending device performs binary division and CRC remainder is appended to original data before transmission and sends to the receiving device.
- At its destination, the incoming data unit is divided by the same number. If at this step there
  is no remainder, the data unit assumes to be correct and is accepted, otherwise it indicates
  that data unit has been damaged in transmission and therefore must be rejected.



At sender side,

- 1. A string of n 0's (one less than the number of bits in divisor) is appended to the data unit to be transmitted.
- 2. Binary division is performed of the resultant string with the CRC generator.
- 3. After division, the remainder so obtained is called as CRC.
- 4. The string of 0's appended to the data unit earlier is replaced by the CRC remainder.
- 5. The newly formed code word (Original data + CRC) is transmitted to the receiver.

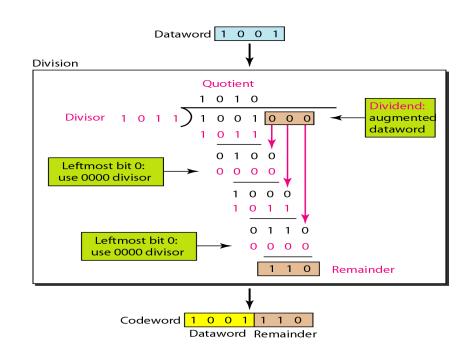
At receiver side,

Sender

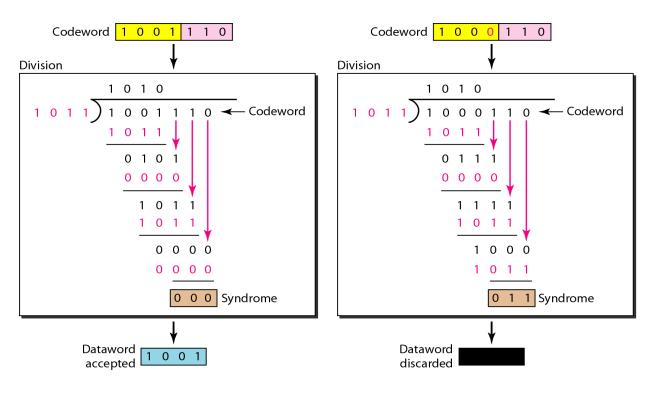
- 1. The transmitted code word is received.
- 2. The received code word is divided with the same CRC generator.
- 3. On division, the remainder so obtained is checked.
- 4. If the remainder is zero, Receiver assumes that no error occurred in the data during the transmission. Receiver accepts the data.

7

5. If the remainder is non-zero, Receiver assumes that some error occurred in the data during the transmission. Receiver rejects the data and asks the sender for retransmission.



### <u>Receiver</u>



### **Checksum Error Detection**

- Suppose our data is a list of five 4-bit numbers that we want to send to a destination. In addition to sending these numbers, we send the sum of the numbers.
- For example, if the set of numbers is (7, 11, 12, 0, 6), we send (7, 11, 12, 0, 6, 36), where 36 is the sum of the original numbers. The receiver adds the five numbers and compares the result with the sum. If the two are the same, the receiver assumes no error, accepts the five numbers, and discards the sum. Otherwise, there is an error somewhere and the data are not accepted.
- In checksum error detection scheme, the data is divided into k segments each of m bits.
- In the sender's end the segments are added using 1's complement arithmetic to get the sum.
   The sum is complemented to get the checksum.
- The checksum segment is sent along with the data segments.
- At the receiver's end, all received segments are added using 1's complement arithmetic to get the sum. The sum is complemented.
- If the result is zero, the received data is accepted; otherwise discarded.

	Original D	)ata		
	10011001	11100010	00100100	10000100
	1	2	3	4
	k=4, m=8			Reciever
	Sender		1	10011001
1	1001100	1	2	11100010
2	1110001	0	1	01111011
(	1)0111101	1	4_	1
$\geq$	÷	1		01111100
	0111110	0	3	00100100
3	0010010	0	10	10100000
	1010000	0	4	10000100
4	1000010	-	(1)	00100100
(	1)0010010	0	4	1
C	2	1		00100101
Sum:	0010010	1	2/2/2	11011010
	:1101101	0	Sum:	11111111
CHECKJUH		C C C	omplement:	00000000
		Co	onclusion: A	ccept Data

#### 2.2.2 Error Correction

- Error correction is much more difficult than error detection.
- The most commonly used error correction methods are:
  - 1) **Retransmission/Reverse Error Correction:** In error correction by retransmission, when an error is detected, the receiver can have the sender retransmit the entire data unit. Reverse error correction methods are stop and wait, go-back-N or selective retransmission.
  - 2) Forward Error Correction: In forward error correction method, a receiver can use an error-correcting code, which automatically corrects certain errors. Block parity, Hamming code, interleaved code and convolutional code are some of the forward error correction methods.

9

#### Hamming Code

- It is a technique developed by R.W.Hamming in the late 1940s.
- Hamming code can be applied to data units of any length and uses the relationship between data and redundancy bits.
- Redundant bits are extra binary bits that are generated and added to the informationcarrying bits of data transfer to ensure that no bits were lost during the data transfer.
- The number of redundant bits can be calculated using the following formula:

 $2^r \ge m + r + 1$ 

where, r = redundant bit, m = data bit

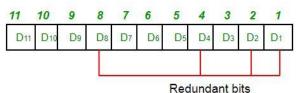
- − Suppose the number of data bits is 7, then the number of redundant bits can be calculated using: =  $2^{4} \ge 7 + 4 + 1$  Thus, the number of redundant bits = 4
- These redundancy bits are placed at the positions which correspond to the power of 2.
- As in the above example:

The number of data bits = 7

The number of redundant bits = 4

The total number of bits = 11

The redundant bits are placed at positions corresponding to power of 1, 2, 4, and 8



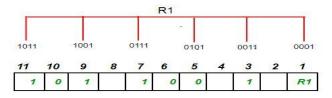
Suppose the data to be transmitted is 1011001, the bits will be placed as follows:

11	10	9	8	7	6	5	4	3	2	1
1	0	1	<b>R</b> 8	1	0	0	R4	1	R2	R1

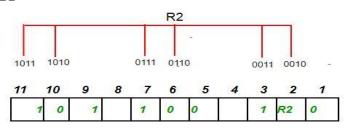
Determining the Parity bits -

1. R1 bit is calculated using parity check at all the bits positions whose binary representation includes a 1 in the least significant position.

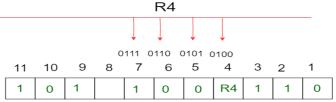
R1: bits 1, 3, 5, 7, 9, 11



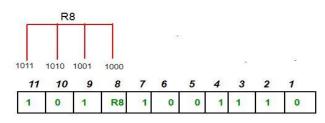
 R2 bit is calculated using parity check at all the bits positions whose binary representation includes a 1 in the second position from the least significant bit.
 R2: bits 2,3,6,7,10,11



R4 bit is calculated using parity check at all the bits positions whose binary representation includes a 1 in the third position from the least significant bit.
 R4: bits 4, 5, 6, 7



R8 bit is calculated using parity check at all the bits positions whose binary representation includes a 1 in the fourth position from the least significant bit.
 R8: bit 8,9,10,11

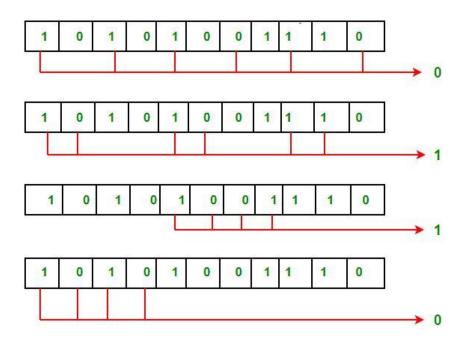


Thus, the data transferred is:

11	10	9	8	7	6	5	4	3	2	1
1	0	1	0	1	0	0	1	1	1	0

Error detection and correction -

Suppose in the above example the 6th bit is changed from 0 to 1 during data transmission, then it gives new parity values in the binary number:



The bits give the binary number as 0110 whose decimal representation is 6. Thus, the bit 6 contains an error. To correct the error the 6th bit is changed from 1 to 0.

#### **Hamming Distance**

- Hamming distance is a metric for comparing two binary data strings. While comparing two binary strings of equal length, Hamming distance is the number of bit positions in which the two bits are different.
- The Hamming distance between two strings, a and b is denoted as d(a,b).
- It is used for error detection or error correction when data is transmitted over computer networks. It is also using in coding theory for comparing equal length data words.

### **Calculation of Hamming Distance**

In order to calculate the Hamming distance between two strings, and , we perform their XOR operation,  $(a \oplus b)$ , and then count the total number of 1s in the resultant string.

Example 1:

Suppose there are two strings 1101 1001 and 1001 1101.

 $11011001 \oplus 10011101 = 01000100$ . Since, this contains two 1s, the Hamming distance, d(11011001, 10011101) = 2.

### Minimum Hamming Distance

In a set of strings of equal lengths, the minimum Hamming distance is the smallest Hamming distance between all possible pairs of strings in that set.

Example 2:

Suppose there are four strings 010, 011, 101 and 111.

 $010 \oplus 011 = 001, d(010, 011) = 1.$ 

 $010 \oplus 101 = 111, d(010, 101) = 3.$ 

010 ⊕ 111 = 101, d(010, 111) = 2.

 $011 \oplus 101 = 110, d(011, 101) = 2.$ 

011 ⊕ 111 = 100, d(011, 111) = 1.

101 ⊕ 111 = 010, d(011, 111) = 1.

Hence, the Minimum Hamming Distance,  $d_{min} = 1$ .